

Chapter 6 – Polygons and Quadrilaterals

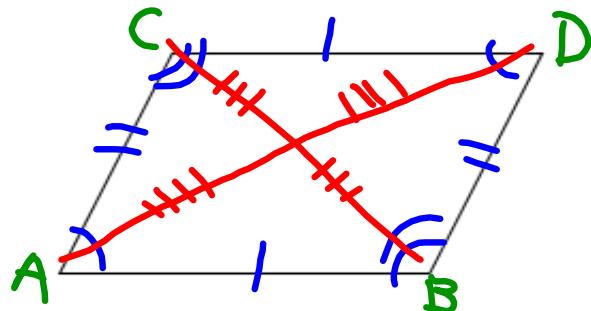
Section 6-2: Properties of Parallelograms

Section 6-3: Proving that a Quadrilateral is a Parallelogram

Parallelogram: Quadrilateral with opposite sides parallel

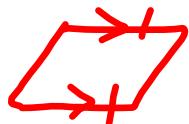
Theorem: If a Quadrilateral is a Parallelogram, then...

- Opposite sides are \cong
- opposite angles are \cong
- consecutive angles are supplementary
- Diagonals bisect each other.
- opposite sides are parallel



Theorem: If ...

- opposite sides are parallel
- both pairs of sides are \cong
- both pairs of opp. angles are \cong
- an angle is supplementary to both consecutive angles
- diagonals bisect each other
- One pair of opp. sides is Both parallel & \cong

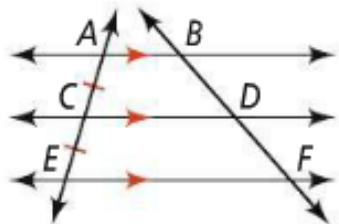


... Then the Quadrilateral is a Parallelogram.

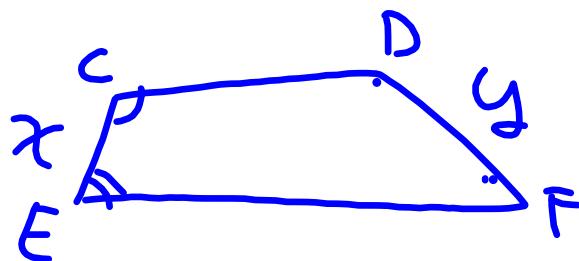
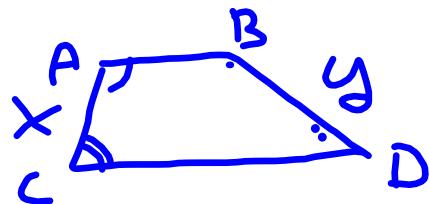
Lesson 6-2 & 6-3

If you know that $\overrightarrow{AB} \parallel \overrightarrow{CD} \parallel \overrightarrow{EF}$ and $\overline{AC} \cong \overline{CE}$, what can you conclude about \overline{BD} and \overline{DF} ? Explain.

$$\overline{BD} \subseteq \overline{DF}$$

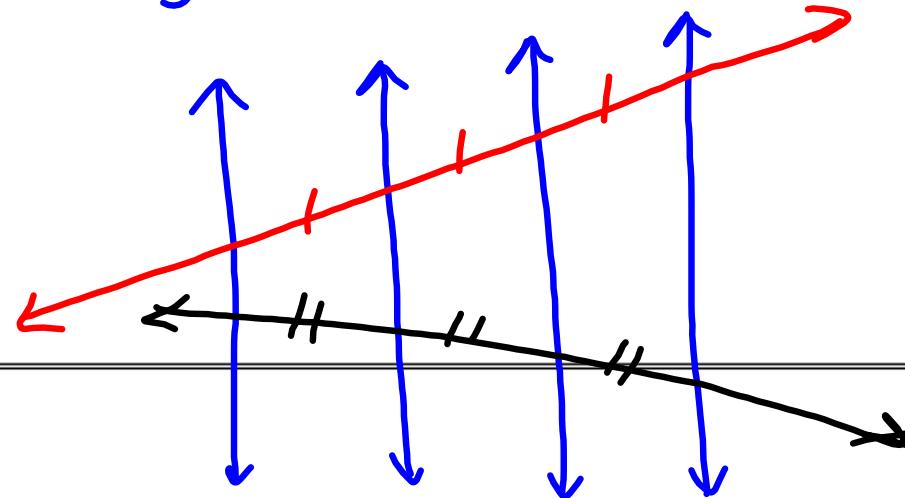


All angles are \cong
Similar shapes
equal side ratios



Theorem: If three (or more) parallel lines cut off congruent segments on one transversal, then...

they cut \cong segments on every transversal



Lesson 6-2 & 6-3

Own Your Own:

Do Problems 1-4 (Section 6-2) and Problem 1-3 (Section 6-3) on PearsonRealize and the Got It's in your Student Companion.

Do Lesson Quizzes 6-2 and 6-3 on PearsonRealize.

Optional: Answers will be posted on-line

Do pages 421-422 #11-20.